An Analysis of Adaptive Approach for Document Binarization

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ABSTRACT
Binarization is an initial step in document image analysis for differentiate text area from background. Determination of binarization technique is really important to retrieve all the text information especially from degraded document image. This paper explains about adaptive binarization using Gatos’s method. Gatos’s method is doing preprocessing, foreground estimation using Sauvola’s method, background estimation, upsampling, final thresholding and postprocessing. In this paper, Sauvola’s method is final thresholding from Wiener filter image result and source image, and count F-Measure from both of these binary image results. By using optimum constant value on k value, n local window, $K_{sw}$ and $K_{sw1}$, Gatos’s method can produced binary image better than Sauvola’s method based on F-Measure value. Sauvola’s method produces average value $F=84.62\%$, Sauvola’s method with Wiener filter produces average value $F=99.06\%$ and Gatos’s method produces average value $F=99.43\%$.

Keywords: Degraded Document Image, Adaptive Approach for Binarization, Gatos’s Method and Sauvola’s Method
1. Introduction

Binarization is done globally and locally [1]. As global binarization, single threshold value was counted for classify image pixel into object class or background. Meanwhile, as local, single threshold value retrieved from image local area information. Many available degraded document image binarization, but only few could improve the quality of degraded document image.

Method used by Otsu [2] is using global thresholding technique which is retrieved the threshold value based on histogram. Otsu’s method is one of the best global thresholding and work well in clear scanned image, but produces unsatisfy output for poor quality image with low contrast and non-uniform illumination. Sauvola and Pietikainen [3] is doing classification to background, image and text from document image’s local content.

The method which is used by Sauvola and Pietikainen solves the noise problem in background, but the character in the binarized image becomes thinner. Gatos, Pratikakis and Perantonis [4] use few steps in adaptive binarization, such as image preprocessing procedure using Wiener filter, foreground region estimation with Sauvola method, background surface estimation by doing interpolation to background intensity, thresholding by combine background surface estimated with upsampled image, then image postprocessing step for improves the quality of text region. Because according to He research, that n and k value has an effect on foreground estimation, so This research is doing observation on Gatos and Sauvola method by observes the parameter local window (n) in preprocessing step, k in foreground estimation, also parameter local window (n) in preprocessing step, k_{sw} dan k_{sw1} in postprocessing step.

2. Research Method

2.1 Image Sampel

![Figure 1. Image Sampel](image1.png)

Figure 1. Image Sampel
Figure 1 shows data that are used in this research. The data contain non-uniform illumination background, low contrast, smear, shadows, stain and other noises.

2.2 Preprocessing
Preprocessing step for poor quality and degraded image is needed for eliminate the noise, background texture smoothing, and contrast enhancement between background and text area. The using of Wiener filter has been proved efficient in image preprocessing. Adaptive filter is applied for refines the degraded image from random noise, so the noise in the background decreased. The grayscale image $I_s(x,y)$ is transformed into image result $I(x,y)$ with equation 1:

$$I(x,y) = \mu + (\sigma^2 - \nu^2)(I_s(x,y) - \mu)/\sigma^2$$  (1)

$\mu$ was local mean, $\sigma^2$ was local variance and $\nu^2$ was average from all the estimated local variance in neighborhood 3x3 around each pixel.

2.3 Foreground Estimation
Threshold value is estimated in the dynamics of the standard deviation ($R$) and constant ($k$). $m$ coefficient decreases the threshold value in background area so it can remove the noise in image. Equation 2 is a equation used by Sauvola and Pietikakininen for counts threshold value for foreground estimation. In this research, we do evaluation in $k$ from 0.04 to 0.09 in local window $n$ 3, 5 and 7.

$$T(x,y)=m(x,y).\left[1+k.\left(\frac{s(x,y)}{R} - 1\right)\right]$$  (2)

2.3 Background Estimation
Background intensity is estimated by using the neighborhood pixels and produces the background surface $B(x,y)$ [5]. Interpolation is used for determine intensity pixel based on gray value from neighbor pixel which is corresponded with the original pixel [6]. The equation III is used for background estimation. Window size 6x6 is used in background surface estimation [7].

$$B(x,y) = \begin{cases} I(x,y) & \text{if } S(x,y) = 0 \\ \sum_{ix=x-dx}^{x+dx} \sum_{iy=y-dy}^{y+dy} (I(ix,iy)(1-S(ix,iy))) & \sum_{ix=x-dx}^{x+dx} \sum_{iy=y-dy}^{y+dy} (1-S(ix,iy)) \end{cases}$$  (3)

2.4 Upsampling
Bicubic interpolation gives the good result because more pixels are used for consideration, so it produces more accurate effect to upsampled image [8]. The upsampled image with bicubic interpolation is more smooth and sharp [9]. It estimates image pixel intensity from 16 nearest pixels in 4x4 neighborhood on original image. Final binarized image Intensity $T(x',y')$ after uses upsampled image $I_u(x',y')$ are retrieved from equation 4:
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\[ T(x',y') = \begin{cases} 
1 & \text{jika } B(x,y)-I_0(x',y') > d(B(x,y)) \\
0 & \text{for other pixel} 
\end{cases} \]  

(4)

\( T(x',y') \) is binarized image with \( M = 2 \) from the original image, \( x = (int)x'/M, y = (int)y'/M, a = (x'/M)-x, b = (y'/M)-y \) dan \( I_0(x',y') \) are estimated with equation V:

\[ I_d(x',y') = -b(1-b)^2 F(x',y-1) + (1-2b^2+b^3)F(x',y) + b(1+b-b^2)F(x',y+1) - b^2(1-b)F(x',y+2) \]  

(5)

\( F() \) is estimated with equation VI:

\[ F(x,m) = -a(1-a)^2 I(x-1,m) + (1-2a^2+a^3)I(x,m) + a(1+a-a^2)I(x+1,m) - a^2(1-a)I(x+2,m) \]  

(6)

2.5 Final Thresholding

Local thresholding uses variance of threshold value and is estimated based on local content from image. Local thresholding has better performance to noise compared to global thresholding. For finding the threshold value \( d \), we use equation 9. The average distance between foreground and background \( (\delta) \) and the average of background value \( (b) \) are needed and estimated using equation 7, 8:

\[ \delta = \frac{\sum_x \sum_y (B(x,y)-I(x,y))}{\sum_x \sum_y S(x,y)} \]  

(7)

\[ b = \frac{\sum_x \sum_y (B(x,y)-I(x,y))}{\sum_x \sum_y (1-S(x,y))} \]  

(8)

\[ d(B(x,y)) = q\delta \left( \frac{(1-P_1)}{1+\exp\left(\frac{-4B(x,y)}{b(1-P_1)\cdot 2(1-P_2)}\right)} + P_2 \right) \]  

(9)

\( B(x,y) \) is estimated background, \( S(x,y) \) is estimated foreground and \( I(x,y) \) is original image which has been done preprocessing use Wiener filter. \( q \) is weight parameter 0.6 and \( P_1 \) also \( P_2 \) is determined 0.5 dan 0.8. Final binarized image intensity retrieved with equation 10 :

\[ T(x,y) = \begin{cases} 
1 & \text{jika } B(x,y) - I(x,y) > d(B(x,y)) \\
0 & \text{for other pixels} 
\end{cases} \]  

(10)

2.6 Postprocessing

Image postprocessing is done in the last step for produces good binarized image by eliminates noise, improves the quality of text region and preserves the connectivity of characters. Shrink, Swell and Extension of Swell is used in postprocessing.

2.6.1 Shrink Filter

Shrink filter is used for remove the noise in background. Each foreground pixel is scanned. If the number of background pixels in window \( n \times n \) which
has foreground pixel as the central pixel ($P_{sh}$) more than $K_{sh}$ then that central pixel changed into background pixel. Local window used in this research was 5 or 7 and $K_{sh} = 0.9n^2$

### 2.6.2 Swell Filter
Swell filter is used for fills the gaps or hole in character from Shrink image result. If the number of foreground pixel in window $n \times n$ which has background pixel $(x,y)$ as the central pixel ($P_{sw}$), and $x_a$, $y_a$ are average coordinate value of all foreground pixel coordinate in window $n \times n$. If $P_{sw} > K_{sw}$ and $|x-x_a| < dx$ and $|y-y_a| < dy$, the central pixel transformed into foreground pixel. $K_{sw}$ used in this research are 0.8 to 1 and $dx = dy = 0.25n$ also local window $(n)$ 5 and 7.

### 2.6.3 Extension Swell Filter
The extension swell filter is used to improve the quality of character. Every background pixel is scanned. If the number of foreground pixel in window $n \times n$, which has background pixel as the central pixel ($P_{sw1}$) and the value is more than $K_{sw1}$ then that central pixel transformed into foreground pixel. $K_{sw1}$ used in this research are 0.8 to 1 and local window $(n)$ 5 and 7.

### 2.7 Evaluation Measure
F-Measure is used for measure performance of final binarized image [10], it is using equation 11 where TP (True Positive) is total number of matched foreground pixels, FP (False Positive) is total number of misclassified foreground pixels in binarization result as compared to ground-truth and FN (False Negative) is total number of misclassified background pixels in binarization result as compared to ground-truth.

\[
\text{Precision (P)} = \frac{TP}{(TP+FP)} \tag{11} \\
\text{Recall (R)} = \frac{TP}{(TP+FN)} \tag{12} \\
F = \frac{2 \cdot P \cdot R}{P + R} \times 100\% \tag{13}
\]

### 3 Results and Analysis
Figure 2 (b) shows the binarization result from Figure 2 (a). The image sample uses $k = 0.09$ in local window $(n) = 7$ in foreground estimation, meanwhile for postprocessing, this research uses $k_{sw} = 0.8$, $k_{sw1} = 0.8$. Those $k$ and $n$ value is used because it reaches the highest percentage of F-Measure 100%. For $k_{sw}$, $k_{sw1}$ in $n=7$ also are used because they have percentage of F-Measure 100%.
The evaluation of the proposed approach was based on a human expert. Although subjective, this methodology provides direct evidence on the quality improvement of the input document images. The human expert was asked to range the produced images using a minimal quality scale (better/same/worse). Therefore, the provided results can only be viewed as a rough estimation of the quality of document images. A more detailed decision scale would provide a better evaluation.

Figure 2. (a) Image sample 3.bmp (b) Binarized Image

Here is percentage chart of $k$ evaluation on image sample in local window ($n$) = 3 shows in Figure 3.

![Percentage chart of $k$ evaluation on image sample in local window ($n$) = 3](chart.png)

Figure 3. Percentage chart of $k$ evaluation on image sample in local window ($n$) = 3

Each image uses $k = 0.04$ until $0.09$ in local window = 3. In image 1, it shows that foreground estimation using $k = 0.04$ obtain a good result, also for image 2,3,4,5, and 7. While for image 6 and 9, it is better to use $k = 0.05$, and for image 8, it is better to use $k = 0.09$.

Here is the percentage chart of $k$ evaluation on image sample in local window ($n$) = 5 shows in Figure 4.
Each image uses $k=0.04$ until $0.09$ in local window $= 5$. In image 1, it shows that foreground estimation using $k=0.06$ obtain a good result, also for image 2 and 4. While for image 5 and 6, it is better to use $k=0.05$, for image 3, it is better to use $k=0.07$, for image 7, it is better to use $k=0.04$, for image 8, it is better to use $k=0.09$ and for image 9, it is better to use $k=0.08$.

Here is the percentage chart of $k$ evaluation on image sample in local window $(n) = 7$ shows in Figure 5.
image 2, 3, 8 and 9, it is better to use k=0.09, for image 4 and 7, it is better to use k=0.08, for image 5, it is better to use k=0.05, and for image 6, it is better to use k=0.04.

Figure 6. Percentage chart of $k_{sw}$ and $k_{sw/1}$ in (a) image 1, (b) image 2, (c) image 3 and (d) image 4

Figure 6 (a), all combination $k_{sw}$ and $k_{sw/1}$ in local window 7 give best result to final binarized image sample 1, using k=0.05 and n=5, meanwhile only combination 3, 6 and 9 in local window 5 give best result. Figure 6 (b), all combination $k_{sw}$ and $k_{sw/1}$ in local window 7 give best result to final binarized image sample 2, using k=0.06 and n=5. Figure 6 (c), most of combination $k_{sw}$ and $k_{sw/1}$ in local window 5 give best result to final binarized image sample 3, using k=0.09 and n=7. Figure 6 (d), most of combination $k_{sw}$ and $k_{sw/1}$ in local window 7 give best result to final binarized image sample 4, using k=0.06 and n=5.
Figure 7. Percentage chart of $k_{sw}$ and $k_{sw1}$ in (a) image 5, (b) image 6, (c) image 7, (d) image 8 and (e) image 9

Figure 7 (a), most of combination $k_{sw}$ and $k_{sw1}$ in local window 7 give best result to final binarized image sample 5, using $k=0.05$ and $n=5$. Figure 7 (b), most of combination $k_{sw}$ and $k_{sw1}$ in local window 7 give best result to final binarized image sample 6, using $k=0.08$ and $n=7$. Figure 7 (c), combination 1, 3 and 7 $k_{sw}$ and $k_{sw1}$ in local window 5 give best result to final binarized image sample 7, using $k=0.08$ and $n=7$. Figure 7 (d), combination 1 of $k_{sw}$ and $k_{sw1}$ in local window 7 give best result to final binarized image sample 8, using $k=0.09$ and $n=3$ and Figure 7 (e), combination 1 of $k_{sw}$ and $k_{sw1}$ in local window 7 and combination 2, 3 of $k_{sw}$ and $k_{sw1}$ in local window 5 give best result to final binarized image sample 9, using $k=0.04$ and $n=9$. 
Table 1: Final Binarized Evaluation based on F-Measure of Different Binarization Method

<table>
<thead>
<tr>
<th>Method</th>
<th>image 1</th>
<th>image 2</th>
<th>image 3</th>
<th>image 4</th>
<th>image 5</th>
<th>image 6</th>
<th>image 7</th>
<th>image 8</th>
<th>image 9</th>
<th>Avg</th>
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<tbody>
<tr>
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<td>100</td>
<td>100</td>
<td>100</td>
<td>97.9</td>
<td>97.8</td>
<td>99</td>
<td>96.8</td>
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<td>99.5</td>
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<td>0</td>
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<td>100</td>
<td>98.6</td>
<td>98.7</td>
<td>98.8</td>
<td>98.8</td>
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<td></td>
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<tr>
<td>Sauvola</td>
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<td>98.5</td>
<td>99.5</td>
<td>98.8</td>
<td>98.3</td>
<td>95.6</td>
<td>98</td>
<td>0</td>
<td>74.3</td>
<td>84.62</td>
</tr>
</tbody>
</table>

Based on the Table 1, Gatos’s method shows the highest average value of F-measure compare to Sauvola’s method using source image and Sauvola’s method final thresholding using Wiener filter image result.

4. Conclusion

By using optimal parameter of $n$, $k$, $k_{sw}$ and $k_{sw1}$ in Gatos’s method, final binarized image has better quality and well recognized by OCR compare to Sauvola’s method using original image and Wiener filter image result, based on F-measure value. Gatos’s method has the highest average value of F-measure 99.43%, meanwhile Sauvola’s method using source image without preprocessing has 99.06% and Sauvola’s method using Wiener filter image result has 84.62%. It means that preprocessing also effect the quality of binarized image result.

References